

that is based on only quarterly data but that includes extra information about the real oil price and real interest rate.

## V. Conclusions

Our results suggest that a relatively simple, nonlinear, nonparametric estimation method provides superior short-term and moderate-term forecasts of unemployment rates in the long run. Our forecasting model is an extension of the familiar nearest-neighbor method where the forecasts are based on the higher-dimensional nearest neighbors composing a simplex containing the point we wish to forecast. This extension results in a substantial improvement of the model's forecasting performance over the nearest-neighbor approach. One explanation for this improvement could be the reduction in bias due to centering by using a simplex rather than just the nearest neighbors (which could all be on one side of the point we wish to forecast). Additional research is required to explain why the nonparametric model equals or dominates structural and other economic-theory models that use more information.

One possible explanation for the forecasting superiority of our highly nonlinear, nonparametric approach is that traditional, relatively simple time series models as well as the more complex econometric models cannot capture the high dimensionality and very nonlinear structure of the true system. Economists do not know the exact dynamical structure generating the unemployment levels. Consequently, it is difficult to build reasonable structural models. The nonparametric approach does not require that we understand the structure exactly.

## REFERENCES

- Agnon, Yehuda, Amos Golan, and Matthew Shearer, "Nonparametric, Nonlinear, Short-Term Forecasting: Theory and Evidence for Non-linearities in the Commodity Markets," *Economic Letters* 65 (1999), 293–299.
- Carruth, A. A., M. A. Hooker, and A. J. Oswald, "Unemployment Equilibria and Input Prices: Theory and Evidence from the United States," this REVIEW, 80 (November 1998), 621–628.
- Fernandez-Rodriguez, F., and S. Sosvilla-Rivero, "Testing Nonlinear Forecastability in Time Series: Theory and Evidence from the EMS," *Economics Letters* 59 (1998), 49–63.
- Fernandez-Rodriguez, F., S. Sosvilla-Rivero, and J. Andrada-Felix, "Exchange-Rate Forecasts with Simultaneous Nearest-Neighbor Methods: Evidence from the EMS," *International Journal of Forecasting* 15 (1999), 395–413.
- Greene, William H., *Econometric Analysis*, 3rd ed. (Prentice-Hall, 1997).
- Hamilton, James D., "A New Approach to the Economic Analysis of Nonstationary Time Series and the Business Cycle," *Econometrica* 57 (1989), 357–384.
- Hamilton, James D., "Analysis of Time Series Subject to Changes in Regime," *Journal of Econometrics* 45:1–2 (1990), 39–70.
- Montgomery, Allan L., Victor Zarnowitz, Ruey S. Tsay, and George C. Tiao, "Forecasting the U.S. Unemployment Rate," *Journal of the American Statistical Association* 92:442 (1998), 478–493.
- Mulhern, Francis J., and Robert J. Caprara, "A Nearest Neighbor Model for Forecasting Market Response," *International Journal of Forecasting* 10 (1994), 191–207.
- Ramsey, J. B., "If Nonlinear Models Cannot Forecast, What Good Are They?" *Studies in Nonlinear Dynamics and Econometrics* 1 (1996), 65–86.
- Satchell, S., and A. Timmermann, "An Assessment of the Economic Value of Non-linear Foreign Exchange Rate Forecasts," *Journal of Forecasting* 14 (1995), 477–497.
- Sims, Christopher A., "A Nine-Variable Probabilistic Macroeconomic Forecasting Model," Federal Reserve Bank of Minneapolis discussion paper no. 14 (1989).
- Sugihara, G., and R. M. May, "Nonlinear Forecasting as a Way of Distinguishing Chaos from Measurement Error in Time Series," *Nature* 344 (April 19, 1990), 734–741.
- Sugihara, G., W. Allen, D. Sobel, and K. D. Allen, "Nonlinear Control of Heart Rate Variability in Human Infants," *Proceedings of the National Academy of Sciences of the U.S.A.* 93 (March 1996), 2608–2613.
- Tong, H., *Threshold Models in Nonlinear Time Series Analysis*, Lecture Notes in Statistics 21 (New York: Springer-Verlag, 1983).

## QUALITY OF THE BUSINESS ENVIRONMENT VERSUS QUALITY OF LIFE: DO FIRMS AND HOUSEHOLDS LIKE THE SAME CITIES?

Stuart A. Gabriel and Stuart S. Rosenthal\*

*Abstract*—This paper develops a new measure of the quality of business environment that complements existing measures of the quality of life. An annual panel of these measures is constructed and analyzed for 37 cities from 1977 to 1995. Findings indicate that many cities attractive to firms

are unattractive to households, and vice versa. In addition, the size of a city's workforce increases with improvements in the quality of the business environment. In contrast, cities most likely to be dominated by retirees are those that are less attractive to firms. Additional specifications support theoretical arguments that retirees are drawn to cities in which local attributes are capitalized into lower wages rather than higher rents.

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\* University of Southern California and Syracuse University, respectively.

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## I. Introduction

IN October 2002, *Money Magazine* (2002) rated Portland, Oregon as the best place to live in the United States. A few years earlier, *Places Rated Almanac* (Boyer & Savageau, 1985, 1989, 1993) gave that distinction to Pittsburgh, a city once known for its aging steel industry and poor air quality. Analogous rankings are also published on the best places to do business. In May 2002, *Forbes* (2002) ranked San Diego as the city with the best business environment in the United States. Do

these rankings suggest that households and firms favor different cities? If so, what are the implications for the growth and character of individual metropolitan areas?

This paper explores these and related questions. In so doing, we emphasize that both households and firms are consumers of city-specific attributes. However, because households and firms differ in their objectives—utility versus profit maximization—they likely differ as well in their valuation of the set of attributes that characterize a given metropolitan area (denoted  $Q_H$  for households and  $Q_F$  for firms). Moreover, changes in  $Q_F$  shift the labor demand curve of a city, whereas changes in  $Q_H$  shift the labor supply curve. These shifts affect land rents, wages, and the distribution of population across cities.

Our ability to examine these relationships requires measures of metropolitan quality of life and quality of business environment. Unfortunately, current media and academic measures fall short. On the media side, the most important shortcoming is that rankings of city quality are largely ad hoc. On the academic side, considerable progress has been made in measuring urban quality of life (see, for example, Roback, 1982; Blomquist, Berger, & Hoehn, 1988; Gyourko & Tracy, 1991; Kahn, 1995; Gabriel, Matthey, & Wascher, 2003). Nevertheless, the literature has not provided an analogous measure of how firms value metropolitan attributes. In addition, most studies have been static in nature (for example, Blomquist et al., 1988; Gyourko & Tracy, 1991). This has largely precluded study of changes in urban quality measures over time and of the relationship between urban quality and the distribution of population across cities. Also, existing studies take into account only a subset of the attributes that contribute to the quality of life and quality of business environment in a metropolitan area.

To address these limitations, we extend the existing literature in several ways. First, we develop and estimate a measure for  $Q_F$  that is grounded in economic theory. Second, we use metropolitan fixed effects to control for local attributes when estimating the value that agents place on the opportunity to locate in a given city: this enables us to control for the entire package of city-specific attributes. Third, we rank cities according to household and firm preferences, whereas prior studies have only considered household valuations. Finally, we construct an annual panel of  $Q_H$  and  $Q_F$  measures for 37 U.S. cities over the 1977–1995 period, the first such panel of its kind. This enables us to analyze the relationship between  $Q_H$ ,  $Q_F$ , and the distribution of population across cities over time. We proceed now to the details.

## II. Quality of Life and Quality of the Business Environment

### A. Conceptual Measures

As in the existing quality-of-life literature (for example, Blomquist et al., 1988), we adopt an open city model with identical mobile workers and firms. Spatial equilibrium requires that worker utility ( $u$ ) and firm profit ( $\pi$ ) be equal across metropolitan areas ( $j = 1, \dots, J$ ):

$$\bar{u} = u(w_j, r_j|A_j) \quad (1)$$

and

$$\bar{\pi} = \pi(w_j, r_j|A_j). \quad (2)$$

In these equations,  $w_j$  is the wage in city  $j$  relative to a given reference city, for which the wage is normalized to 1. Similarly,  $r_j$  is the land

rent in city  $j$  relative to the reference city, for which the land rent is also normalized to 1. The vector of attributes that describe city  $j$  is given by  $A_j$ , and  $\bar{u}$  and  $\bar{\pi}$  are the equilibrium levels of utility and profit in the system of cities.

Equations (1) and (2) can be solved for the equilibrium wages and land rents in each city (see Blomquist et al., 1988; Gyourko & Tracy, 1991). Holding  $A_j$  constant in city  $j$ , the iso-utility curve  $\bar{u}_j$  traces out the set of wages and land rents that satisfy equation (1) for city  $j$ : this function is upward sloping because higher  $w_j$  must be offset by higher  $r_j$ . The isoprofit curve in city  $j$ ,  $\bar{\pi}_j$ , traces out the set of  $w$  and  $r$  that satisfy equation (2): this function is downward sloping because higher  $w$  must be offset by lower  $r_j$ . The intersection of  $\bar{u}_j$  and  $\bar{\pi}_j$  yields  $w_j^*$  and  $r_j^*$  for all  $j, \dots, J$ , the wages and land rents in each city.

Prior studies have also shown that metropolitan equilibrium wages and land rents can be used to measure workers' urban quality of life. However, no such measure has been provided for firms. Accordingly, we rewrite the profit function in equation (2), separating total revenue and total cost, as

$$\pi(w_j, r_j|A_j) = xq - xc(w_j, r_j|A_j),$$

where  $q$  is the product price,  $x$  is the output, and  $c(w_j, r_j|A_j)$  is the cost function. Totally differentiating the indirect profit function along an isoprofit curve, rearranging, and applying Shepard's lemma, we have

$$-\frac{c_A}{c_w} = \frac{L_j^* dr_j}{N_j^* dA_j} + \frac{dw_j}{dA_j}. \quad (3)$$

In this expression,  $-c_A/c_w$  is the ratio of the impact on production costs from a unit change in  $A$  to that of a unit change in labor, or equivalently, the additional input cost a firm is willing to incur in exchange for a unit increase in  $A$ . Note also that  $L^*/N^*$  is the optimal amount of land per worker. Normalizing this value to 1 and premultiplying both sides of equation (3) by  $A_j$ , we get

$$Q_{Fj} = r_j^F + w_j, \quad (4)$$

where  $r^F$  is the quality-adjusted rent of commercial and industrial land. This expression describes the additional input costs firms are willing to incur to locate an additional worker in city  $j$  relative to the reference city. We refer to  $Q_F$  as the *quality of business environment*.

An analogous expression for workers is obtained by starting with the indirect utility function and applying Roy's identity. With suitable manipulations (see Blomquist et al., 1988, or Gyourko & Tracy, 1991), this yields the workers' urban quality of life, where  $r^H$  is the quality-adjusted rent on residential land and  $Q_H$  is the amount of real wage families would be willing to give up to live in city  $j$ :

$$Q_{Hj} = r_j^H - w_j. \quad (5)$$

### B. Empirical Measures of $Q_H$ and $Q_F$

Estimates of the city attribute valuations are constructed as follows. As in Blomquist et al. (1988) and Gyourko and Tracy (1991), the wage and building rent for individual  $i$ , city  $j$ , and year  $t$ , are specified as

$$\log w_{ijt} = \alpha_{w0t} + \alpha_{w1}Z_{ijt} + \gamma_{wjt}D_{ijt} + u_{wijt} \quad (6)$$

and

$$\log r_{ijt} = \alpha_{r0t} + \alpha_{r1}X_{ijt} + \gamma_{rjt}D_{ijt} + u_{rijt}, \quad (7)$$

TABLE 1.—1977 TO 1995 AVERAGE VALUES OF QUALITY OF LIFE AND QUALITY OF BUSINESS ENVIRONMENT\*

Metropolitan Area	Quality of Life ( $Q_H$ )			Quality of Business Environment ( $Q_F$ )		
	Rank	Avg. 77–95	Std. Err.	Rank	Avg. 77–95	Std. Err.
Miami	1	7990	719	34	-4644	719
San Diego	2	5247	761	10	3551	761
Los Angeles–Long Beach	3	4851	642	5	5962	642
San Francisco	4	4420	752	2	10529	752
Tampa–St. Petersburg–Clearwater	5	3802	746	37	-7044	746
New York	6	3533	642	7	5141	642
Albany–Schenectady–Troy	7	1786	898	28	-2356	898
Greensboro–Winston-Salem–High Pt.	8	1558	812	35	-4829	812
Sacramento	9	1250	849	18	843	849
Norfolk–Virginia Beach–Newport News	10	686	865	30	-2548	865
Seattle–Bellevue–Everett	11	-7	761	6	5146	761
Denver	12	-114	728	15	1775	728
Newark	13	-141	717	3	8340	717
San Jose	14	-603	794	1	13187	794
Minneapolis–St. Paul	15	-959	722	12	2741	722
Fort Worth–Arlington	16	-1052	788	31	-3150	788
Birmingham	17	-1109	862	36	-6129	862
New Orleans	18	-1219	843	25	-1153	843
Chicago	19	-1448	647	8	3997	647
Indianapolis	20	-1580	876	33	-3509	876
Rochester	21	-1593	829	16	1450	829
Pittsburgh	22	-1718	733	29	-2365	733
Dallas	23	-1753	708	20	114	708
Columbus	24	-1789	781	26	-1595	781
Washington, DC	25	-1916	656	4	7579	656
Milwaukee–Waukesha	26	-2444	781	14	1859	781
Philadelphia	27	-2471	664	13	2570	664
Baltimore	28	-2519	739	11	3137	739
Cincinnati	29	-2743	759	23	-801	759
Atlanta	30	-2785	730	19	196	730
Cleveland–Lorain–Elyria	31	-2796	730	21	90	730
Akron	32	-2928	915	27	-1872	915
Kansas City	33	-3056	744	32	-3472	744
Houston	34	-3082	689	22	-651	689
St. Louis	35	-4118	774	24	-939	774
Gary	36	-5982	1173	17	1206	1173
Detroit	37	-8589	671	9	3645	671

\*The  $Q$  averages were formed using every other year of the data beginning in 1977 to reduce spurious correlation when calculating the standard errors as discussed in the text. All values are in 2002 dollars. Rank 1 is best; rank 37 is worst. Differences in  $Q_H$  reflect the amount a household values one city over the other. Differences in  $Q_F$  reflect the amount a firm values one city over the other, per worker.

where  $Z_{ijt}$  controls for worker traits and  $X_{ijt}$  controls for characteristics of the buildings.<sup>1</sup>

As noted earlier, prior studies augment these regressions with city-specific attributes. That approach, however, is both data-intensive and at risk of omitting important local attributes. As an alternative, we control for metropolitan area attributes by including metropolitan fixed effects for each city,  $D_{jt}$ , in equations (6) and (7). Having controlled for the observable quality of the worker's skill level and the building's structural attributes through  $Z$  and  $X$ , the estimated fixed effects ( $\gamma_{w_{jt}}$  and  $\gamma_{r_{jt}}$ ) reflect all remaining location-specific attributes

that affect intermetropolitan variation in wages and property values at time  $t$ . This includes traditional descriptors of a city, such as air quality, crime, and the like, as well as aggregate characteristics of the population and housing stock not directly captured by  $Z$  and  $X$ . These latter features are also attributes of the city and for that reason do not obscure interpretation of the results.

Equations (6) and (7) are estimated separately for each time period. This yields a panel of estimated fixed effects,  $\gamma_{w_{jt}}$  and  $\gamma_{r_{jt}}$ , that are used to construct quality adjusted wages and rents as follows:

$$w_{jt} \equiv \frac{\partial w_{jt}}{\partial D_{jt}} = \hat{\gamma}_{w_{jt}} \exp(\hat{\alpha}_{w_{0t}} + \hat{\alpha}_{w_{1t}} \bar{Z}_{jt} + \hat{\gamma}_{w_{jt}} \bar{D}_{jt}) \quad (8)$$

and

$$r_{jt} \equiv \frac{\partial r_{jt}}{\partial D_{jt}} = \hat{\gamma}_{r_{jt}} \exp(\hat{\alpha}_{r_{0t}} + \hat{\alpha}_{r_{1t}} \bar{X}_{jt} + \hat{\gamma}_{r_{jt}} \bar{D}_{jt}), \quad (9)$$

where  $\bar{Z}$ ,  $\bar{X}$ , and  $\bar{D}$  are fixed at reference values such that the only variation in  $w_{jt}$  and  $r_{jt}$  is through  $\hat{\gamma}_{w_{jt}}$  and  $\hat{\gamma}_{r_{jt}}$ . Substituting into equations (4) and (5) yields  $Q_{Hjt}$  and  $Q_{Fjt}$  for each city and year.

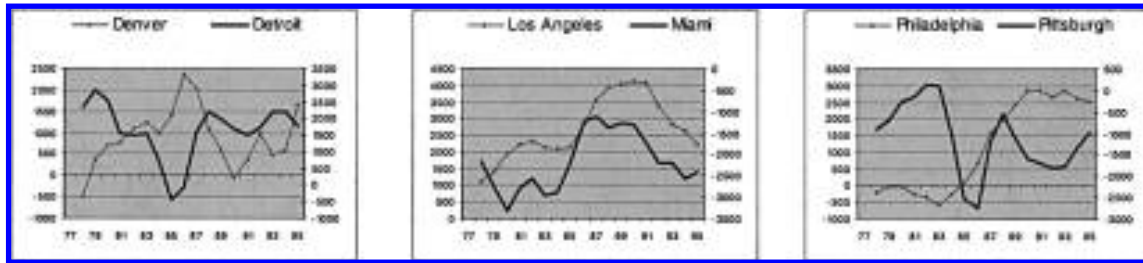
<sup>1</sup> In the actual regressions, wage regressors included age and age squared of the worker and spouse, white versus nonwhite, number of children under age 6 in the family, and number of children between ages 6 and 18 in the family. In addition, each of the age variables for both the individual and spouse were separately interacted with four education categories: high school degree, some college, 4-year college degree, and more than a college degree, where less than high school was the omitted category. Rent regressors included whether the unit was single-family detached, attached, or multifamily; number of rooms; number of bedrooms; presence of a garage; presence of a basement; number of bathrooms; central air conditioning; room air conditioning; central heat; abandoned buildings on the street; age of building; whether HUD characterizes the building as being dilapidated; and central city status.

FIGURE 1.—QUALITY OF LIFE (2-YEAR MOVING AVERAGE),  $Q_H$



Vertical scales correspond to the closest city in the legend and differ across plots.

FIGURE 2.—QUALITY OF BUSINESS ENVIRONMENT (2-YEAR MOVING AVERAGE),  $Q_F$



Vertical scales correspond to the closest city in the legend and differ across plots.

### III. Data

Data for the wage and rent hedonic regressions were obtained, respectively, from the March files of the Current Population Survey (CPS) and the American Housing Survey (AHS) for 1977 to 1995.<sup>2</sup> Using these data,  $\bar{Z}$ ,  $\bar{X}$ , and  $\bar{D}$  in equations (8) and (9) were set equal to their 1980 sample means, the same reference point used by Blomquist et al. (1988) and Gyourko and Tracy (1991). The wage variable in equation (6) is the total annual salary earnings of the worker. Because data on commercial rents were unavailable, for equations (7) and (9) residential rents from the AHS were used in constructing both  $Q_H$  and  $Q_F$ .<sup>3</sup> Rents were calculated based on gross rents for renter-occupied units and owners' estimates of house value for owner-occupied units. Owners' house values were further converted to annual rents using Peiser and Smith's (1985) discount rate of 7.85% as in Gyourko and Tracy (1991) and Blomquist et al. (1988). Sample sizes vary across data sets and years of analysis.<sup>4</sup> As an example, in 1978, the AHS and CPS samples used for the hedonic regressions had 23,734 and 13,981 observations, respectively. In total,

<sup>2</sup> Whereas the CPS data were obtained annually for each year from 1977 to 1995, the AHS data were available on an annual basis only for the years from 1977 to 1983. After 1983, Census collected the AHS data on a biannual basis. To fill in the missing years, quality-adjusted building rents were linearly interpolated from the adjacent years.

<sup>3</sup> This is consistent with the Commerce Department practice of using residential price indices to estimate the price deflators for both residential and nonresidential real estate in the National Income and Product Accounts (NIPA).

<sup>4</sup> To be included in the wage sample, an individual needed to be a full-time worker earning in excess of \$1,000 per year. When estimating the rent hedonic, excluded from the housing sample were mobile homes, public housing units, rent-controlled units, and other government-subsidized units. In both cases, to be included in the sample an observation (individual or housing unit) had to be located in an identified MSA.

38 hedonic regressions were run, results from which are not presented to conserve space.

Population data for cities in the hedonic regressions were obtained from Census Department publications, including the *State and Metropolitan Area Data Books* and the *Statistical Abstract of the United States*. The data were collected on the county level and aggregated to compute metropolitan area population levels (based on 1993 Census definitions of the metropolitan areas). From these sources, a balanced panel of the key series was constructed for 37 cities from 1977 to 1995.<sup>5</sup>

### IV. Metropolitan Rankings of Quality of Life and Quality of Business Environment

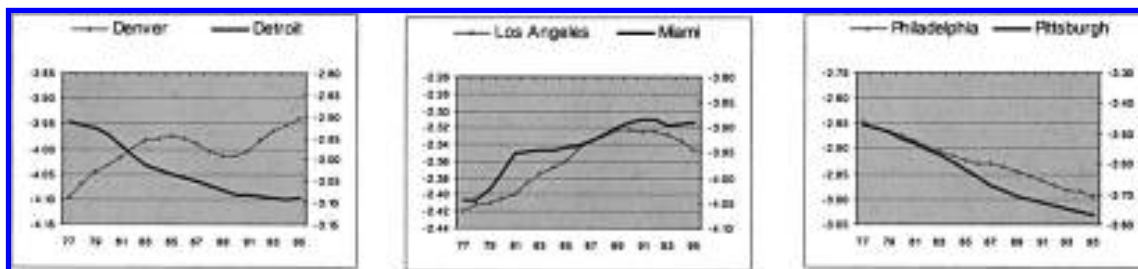
Table 1 reports quality of life and business environment measures for each of the 37 cities over the 1977–1995 period. All values are in 2002 dollars and equal the average of the city-quality measure, using every other year in the sample. Biannual averaging simplifies construction of the standard errors, because the CPS sample turns over entirely every 2 years, as do the occupants of many homes in the AHS sample.<sup>6</sup> Accordingly, standard errors in table 1 equal  $\frac{1}{10}[\text{Var}(Q_{1977}) + \text{Var}(Q_{1979}) + \dots + \text{Var}(Q_{1995})]^{1/2}$ , with the covariance terms across years set to 0, whereas the variance of  $Q$  in year  $t$  is calculated from the estimated covariance matrix for the hedonic fixed-effect coefficients from that year.

Observe that the range in estimates for  $Q_H$  from lowest to highest is roughly \$16,500, and the interquartile range (from 25th to 75th percentile) is \$4,400. These values are close to those of Gyourko and

<sup>5</sup> In the 1970s, the CPS identified only the 39 largest cities in the United States. Two of these cities were dropped because their population could not be measured within a fixed set of geographic boundaries over time.

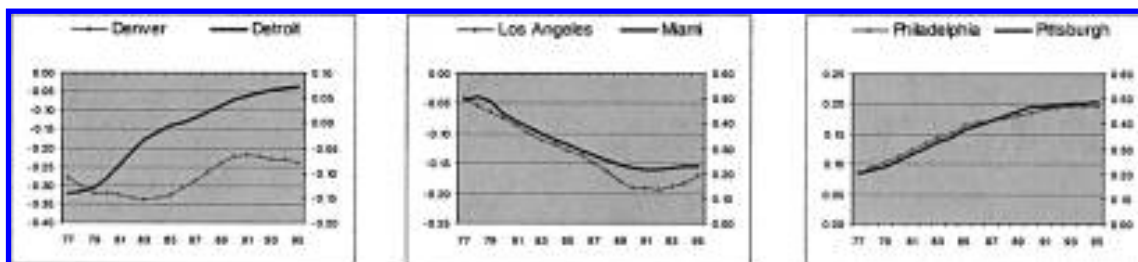
<sup>6</sup> Most renters move within 2 years of arriving in their home; homeowners are less mobile.

FIGURE 3.—WORKER LOG-POPULATION SHARES



Vertical scales correspond to the closest city in the legend and differ across plots.

FIGURE 4.—RETIREE LOG-POPULATION SHARE MINUS WORKER LOG-POPULATION SHARE



Vertical scales correspond to the closest city in the legend and differ across plots.

Tracy (1991).<sup>7</sup> In both studies, older industrial cities such as Detroit, Kansas City, Baltimore, Cleveland, Cincinnati, Gary, and Akron were ranked among the lowest-quality-of-life metropolitan areas, whereas warmer coastal cities such as Miami, San Diego, San Francisco, San Jose, Sacramento, and Los Angeles were among the highest-quality-of-life cities. Finally, although the standard errors in table 1 are large enough to make precise ordering of closely ranked cities uncertain—especially in the middle quartiles of the rank distribution—they are small enough to confidently order most of the cities.<sup>8</sup>

A striking result emerges when comparing household and firm city valuations. Many of the cities less attractive to households are more attractive to industry. Detroit, for example, was ranked 37th by households but was ranked 9th by firms. Conversely, Miami was ranked 1st by households but 34th by firms. In addition, the correlation between the  $Q_H$  and  $Q_F$  values in the table is roughly 5%. These findings suggest that firms and households often prefer different cities, consistent with the different goals of the two groups.<sup>9</sup> Moreover, these findings suggest that for a city to grow large, either households must want to live in the city (pushing labor supply out, as in Miami), or firms must want to do business in the city (pushing labor demand out, as in Detroit), or both (as in New York, San Francisco, and Los Angeles).

<sup>7</sup> Gyourko and Tracy (1991) report values of \$18,099 and \$3,265 (adjusted to 2002 dollars) using 1980 Census data.

<sup>8</sup> The comparisons with Gyourko and Tracy (1991) above are based on the second model in table 3 of their paper: "Random Effects, Group Effects Included." That model is the closest to the approach used here. Note, also, that the median standard error of  $Q_H$  and  $Q_F$  across individual cities and years in our sample was \$2,640, which is also close to standard errors in Gyourko and Tracy (1991) adjusted to 2002 dollars. In contrast, the smaller standard errors in table 1 are obtained because of the larger sample sizes used to calculate the biannual average values.

<sup>9</sup> These patterns also persist over time. We regressed the biannual averages for  $Q_H$  and  $Q_F$  over the 1987–1995 period on their corresponding biannual averages from the 1977–1985 period. The coefficients on the lagged variables in the  $Q_H$  and  $Q_F$  regressions were 0.866 and 1.07, respectively, with  $t$ -ratios in excess of 10 and  $R^2$  values above 0.7.

## V. Metropolitan Quality and the Size and Composition of Cities

This section explores the relationship between urban quality and the size and composition of cities. In this context, city size is measured by the log share of workers in city  $j$ , or  $\log(N_j/N_{\text{sys}})$ , where  $N_j$  is the number of workers in city  $j$  and  $N_{\text{sys}}$  is the number of workers in the system of 37 cities. City composition is measured by the log share of retirees less the log share of workers, or  $\log(R_j/N_j) - \log(R_{\text{sys}}/N_{\text{sys}})$ , where  $R_j/N_j$  is the retiree-worker ratio in city  $j$  and  $R_{\text{sys}}/N_{\text{sys}}$  is the ratio over all cities.

Figures 1 through 4 plot the key series for six cities over time. The patterns for these cities are characteristic of the remaining cities. Plots for all of the cities are provided in an earlier version of the paper available over the Web.<sup>10</sup> Note that the quality series display little trending (figures 1 and 2), whereas the worker share series are strongly trended (figure 3), and the retiree-less-worker share series are moderately trended (figure 4). We also check each of the individual series for all 37 cities for unit roots, using augmented Dickey-Fuller (ADF) tests allowing for trends in each of the series. In most cases, results fail to reject the null of a unit root, implying that the series are I(1). It should be emphasized, however, that these tests have low power, especially given that we only have 19 time periods for each series.<sup>11</sup> Bearing that caveat in mind, evidence that the series are I(1) is consistent with theoretical arguments that as a city grows larger relative to other areas, it gains a comparative advantage because of urbanization economies, and

<sup>10</sup> See [http://www.maxwell.syr.edu/econ/econ\\_working\\_paper\\_series.htm](http://www.maxwell.syr.edu/econ/econ_working_paper_series.htm).

<sup>11</sup> The ADF tests were conducted separately for each series in each of the 37 cities. Each test includes a constant, a time trend, and one lag of the dependent variable and is based on 19 time periods. For each series, the number of cities for which the null of a unit root could be rejected at the 10% level is: for  $Q_H$ , two cities; for  $Q_F$ , five cities; for  $r$ , no cities; for  $\log(\text{city worker shares})$ , five cities; and for  $\log([\text{city retiree share}]/[\text{city worker share}]$ , nine cities.

TABLE 2.—METROPOLITAN QUALITY AND CITY SIZE

	$Q_H$	$Q_F$	$r$	City Fixed Effects	Year Fixed Effects	City Time Trends	Adj. $R^2$	Root MSE	Obs.
Log worker share <sup>a</sup> :									
Model I	3.72 (2.76)	10.01 (10.6)	—	No	No	No	0.137	0.592	703
Model II	-0.887 (-2.57)	0.512 (2.19)	—	Yes	No	No	0.991	0.059	703
Model III	-0.910 (-2.56)	0.699 (2.68)	—	Yes	Yes	No	0.991	0.059	703
Model IV	1.09 (10.7)	1.33 (16.2)	—	Yes	No	Yes	0.999	0.012	703
Log retiree share – log worker share <sup>a</sup> :									
Model I	3.29 (6.14)	-2.32 (-6.15)	—	No	No	No	0.106	0.236	703
Model II	-0.386 (-1.32)	-0.668 (-3.38)	—	Yes	No	No	0.960	0.050	703
Model III	-0.650 (-2.38)	-1.61 (-8.03)	—	Yes	Yes	No	0.966	0.046	703
Model IV	-1.15 (-10.08)	-1.46 (-15.8)	—	Yes	No	Yes	0.996	0.016	703
Log retiree share – log worker share <sup>a</sup> :									
Model I	5.61 (9.07)	—	-4.64 (-6.15)	No	No	No	0.106	0.236	703
Model II	0.282 (1.22)	—	-1.34 (-3.38)	Yes	No	No	0.960	0.050	703
Model III	0.962 (4.26)	—	-3.22 (-8.03)	Yes	Yes	No	0.966	0.046	703
Model IV	0.309 (3.83)	—	-2.92 (-15.8)	Yes	No	Yes	0.996	0.016	703

<sup>a</sup>Worker log population share equals  $\log(N_j/N_{sys})$ , where  $N_j$  and  $N_{sys}$  are the numbers of workers in city  $j$  and in the system of 37 cities, respectively. Retiree less worker log population share equals  $\log(R_j/N_j) - \log(R_{sys}/N_{sys})$ , the ratio of retirees to workers in city  $j$  less the log ratio of retirees to workers for the entire system of cities.  $t$ -ratios in parentheses; all coefficients are scaled by  $10^6$ .

therefore grows larger still (see, for example, Helsley & Strange, 1994).

Table 2 presents results from regressions of the population series on  $Q_H$  and  $Q_F$ . For each dependent variable, several different specifications are presented to check robustness. Model I pools the time series and cross-section data and estimates by OLS. Model II adds city fixed effects. Model III also adds year fixed effects, and model IV replaces the year fixed effects with city-specific time trends.<sup>12</sup> In all cases, the coefficients of  $Q_H$  and  $Q_F$  are constrained to be alike across cities. It should also be emphasized that our primary goal in presenting these alternative specifications is to establish robustness with respect to the signs on the slope coefficients in the models.

Before examining the results, it is desirable to highlight the reduced-form nature of the worker share regression, as this has implications for priors governing the model coefficients. On the one hand, labor supply and demand shift out in response to improvements in  $Q_H$  and  $Q_F$ , respectively. This implies a positive relationship between urban quality and city size. On the other hand, a large literature on agglomeration economies (for example, Glaeser et al. 1992; Henderson, Kuncoro, & Turner, 1995; Eberts & McMillan, 1999; Rosenthal & Strange, 2003, 2004) suggests that city size lowers production costs. That, in turn, would cause  $Q_F$  to increase. Unambiguously, therefore, we anticipate a positive relationship between worker shares and  $Q_F$ . In contrast, priors governing the manner in which households view city size are less clear. Larger cities offer cultural

amenities, but also congestion, crime, and related problems. Accordingly, the relationship between worker shares and  $Q_H$  is ambiguous.

Results in the top panel of table 2 are consistent with these priors, where the dependent variable is the log of city worker shares. For each model specification, the coefficient on  $Q_F$  is positive and significant. In contrast, the coefficient of  $Q_H$  varies in sign across model specifications. Given evidence of trending behavior in the worker share series in figure 3, model IV not surprisingly provides the closest fit to the data, as indicated by the lowest root-mean-square error.

Consider next city composition. It seems unlikely that the ratio of retirees to workers has much effect on  $Q_H$  and  $Q_F$ . Accordingly, the city composition regressions are interpreted as shedding light on whether there is a causal effect of  $Q_H$  and  $Q_F$  on the log ratio of retirees to workers. Because firms compete for space with retirees—causing housing prices to rise—without offering retirees direct pecuniary compensation (such as wages), we expect an increase in  $Q_F$  to diminish the presence of retirees relative to workers. However, the influence of  $Q_H$  is ambiguous once more, because both workers and retirees prefer attractive (high- $Q_H$ ) cities, *ceteris paribus*.

Once again, results in table 2 support the priors. In the middle panel of the table, observe that for all four models,  $Q_F$  has a negative and highly significant effect on the presence of retirees relative to workers. In contrast, the coefficient of  $Q_H$  varies in sign and significance across the models.

As a final exercise, the bottom panel of table 2 repeats the city composition regressions, replacing  $Q_F$  with land rents ( $r$ ). The discussion above suggests that retirees prefer high-quality-of-life cities after controlling for land rents, and that high land rents should discourage retirees from locating in a city. Observe that for all four

<sup>12</sup> We also estimated each of these models a second time, including one lead and one lag of the first difference of each of the slope variables to control for serial correlation over time, as discussed by Saikkonen (1991). Results from these specifications were largely similar to those in table 2 and are not presented to conserve space.

models, land rent has a negative and highly significant effect on the presence of retirees relative to workers. Similarly,  $Q_H$  always has a positive effect that is significant in all models except for model II. These findings complement those above and suggest that relative to workers, retirees are drawn toward attractive low-cost cities.<sup>13</sup>

## VI. Conclusions

This paper shows that many of the cities least attractive to households are most attractive to firms, and vice versa. Moreover, cities appear to gain workers and grow in size as the quality of their business environment becomes more attractive. Our findings also have important implications for the demographic composition of cities. With the aging of the baby boomers, cities are increasingly sensitive to the location preferences of retirees.<sup>14</sup> We show that the cities most likely to be dominated by retirees are those that are less attractive to firms, and more generally, those cities that are attractive to households but have low house prices. These findings support arguments by Graves and Knapp (1988) that retirees tend to seek out cities where local attributes are capitalized into lower wages rather than higher land rents. These findings also suggest that local government policies designed to attract industry may inadvertently cause retirees to relocate to other cities.

## REFERENCES

Blomquist, Glenn, Mark Berger, and John Hoehn, "New Estimates of the Quality of Life in Urban Areas," *American Economic Review* 78 (1988), 89–107.

<sup>13</sup> In principle, the models in table 2 could also be used to test whether the city population and quality series cointegrate in the manner specified by the different regressions. In this regard, it should be noted that model IV is difficult to interpret, in that it is not clear what drives the city-specific time trends (models II and III, in contrast, simply de-mean the data). Also, for all of the models, our ability to test for cointegration is low in view of the short time series. Nevertheless, ADF tests with one lag were conducted to check the residuals from each of the models in table 2 for unit roots, where rejecting the null of a unit root implies cointegration (Engle & Granger, 1987). For the worker share regressions, at the 5% level, the null is rejected in 3, 6, 8, and 23 cities for models I through IV, respectively; for the retiree-less-worker share regressions the analogous numbers are 4, 8, 8, and 18 cities. These results are suggestive that the series do not cointegrate. However, given the low power of the unit root tests, the issue of cointegration is better studied in a longer time series and is left for future research.

<sup>14</sup> Recognizing this, a number of states have developed marketing programs designed to advertise their amenities to recent retirees (Fagan, 1988; Stallman & Siegel, 1995; Wilkinson, 1995). In addition, many states have enacted tax policies designed to attract and retain retirees (Stockbridge-Pratt, 1997).

- Boyer, R., and Savageau, *Places Rated Almanac* (New York: Prentice-Hall, 1985, 1989, 1993).
- Eberts, R. W., and D. P. McMillan, "Agglomeration Economies and Urban Public Infrastructure," in P. Cheshire and E. S. Mills (Eds.), *Handbook of Urban and Regional Economics, Volume 3* (New York: North Holland, 1999).
- Engle, R. F., and C. W. J. Granger, "Cointegration and Error Correction: Representation, Estimation and Testing," *Econometrica* 55 (1987), 251–276.
- Fagan, Mark, "Attracting Retirees for Economic Development," Jacksonville, AL: Jacksonville State University Center for Economic Development (1988).
- Forbes Magazine, May 2002, <http://www.forbes.com/finance/lists/setters/listHomeSetter.jhtml?passListId=1>.
- Gabriel, Stuart, Joe Matthey, and William Wascher, "Compensating Differentials and Evolution of the Quality-of-Life among U.S. States," *Regional Science and Urban Economics* 33:5 (2003), 619–649.
- Glaeser, E. L., H. D. Kallal, J. A. Scheinkman, and A. Shleifer, "Growth in Cities," *Journal of Political Economy* 100 (1992), 1126–1152.
- Graves, Philip E., and Thomas A. Knapp, "Mobility Behavior of the Elderly," *Journal of Urban Economics* 24 (1988), 1–8.
- Gyourko, Joseph, and Joseph Tracy, "The Structure of Local Public Finance and the Quality of Life," *Journal of Political Economy* 99:4 (1991), 774–806.
- Helsley, W. Robert, and William C. Strange, "City Formation with Commitment," *Regional Science and Urban Economics* 24 (1994), 373–390.
- Henderson, J. V., A. Kuncoro, and M. Turner, "Industrial Development in Cities," *Journal of Political Economy* 103 (1995), 1067–1085.
- Kahn, Matthew, "A Revealed Preference Approach to Ranking City Quality of Life," *Journal of Urban Economics* 38 (1995), 221–235.
- Money Magazine, <http://money.cnn.com/best/bplive/> (2002).
- Peiser, Richard B., and Lawrence B. Smith, "Homeownership Returns, Tenure Choice and Inflation," *American Real Estate and Urban Economics Association Journal* 13 (Winter 1985), 343–360.
- Roback, Jennifer, "Wages, Rents, and the Quality of Life," *Journal of Political Economy* 90 (1982), 1257–1278.
- Rosenthal, Stuart S., and William C. Strange, "Geography, Industrial Organization, and Agglomeration," this REVIEW, 85:2 (2003), 377–393.
- , "Evidence on the Nature and Sources of Agglomeration Economies," in Vernon Henderson and Jacques Thisse (Eds.), *Handbook of Urban and Regional Economics*, volume 4 (forthcoming, 2004).
- Saikkonen, Pentti, "Asymptotically Efficient Estimation of Cointegration Regressions," *Econometric Theory* 7 (1991), 1–21.
- Stallmann, Judith, and Paul Siegel, "Attracting Retirees as an Economic Development Strategy: Looking into the Future," *Economic Development Quarterly* 9 (1995), 372–382.
- Stockbridge-Pratt, Dorothy, "Going Up; Kings Island Estates, Desoto County; County's Lower Fees Are Attracting Retiree Buyers," *Sarasota Herald-Tribune* (November 23, 1997), 11.
- Wilkinson, David, "States Court Retirees, Their Bank Accounts and Habits," *The [Charleston, WV] Sunday Gazette Mail* (July 23, 1995), 2A.

## INITIAL VALUES AND INCOME CONVERGENCE: DO "THE POOR STAY POOR"?

Etsuro Shioji\*

*Abstract*—A panel data estimation finds a high speed of income convergence among the U.S. states. However, initial incomes show a pattern which is difficult to explain by the estimated model. A simulation study

shows that this pattern can be explained much more naturally when we assume that true convergence is slow.

### I. Introduction

There are two distinct views in the literature on income convergence. The cross-sectional regression approach (as in Barro & Sala-i-Martin, 1992) assumes that economies are converging to an identical steady state, and typically finds that the speed of conver-

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\* Yokohama National University.

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